



FARADAY ROTATION EFFECT

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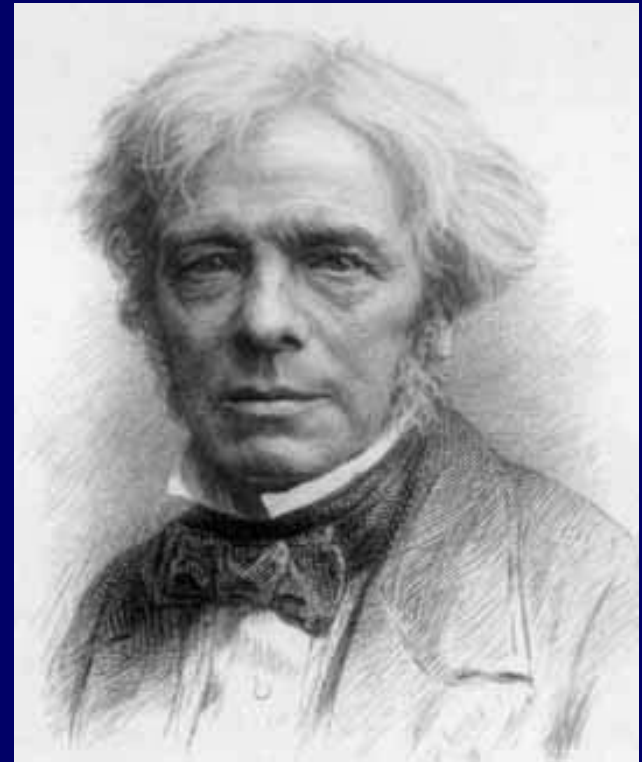
*Under
the guidance of*

Joydeep Bagchi

VSP-2007, IUCAA

INTRODUCTION

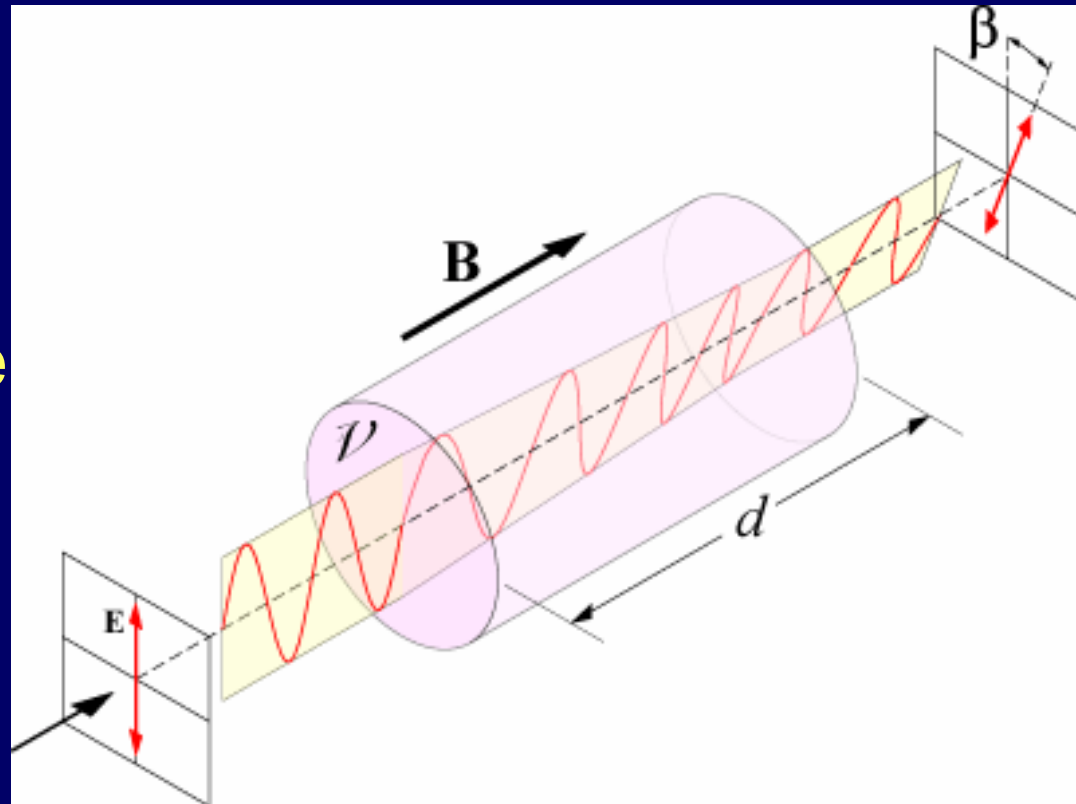
- **Michael Faraday (England) :**
In 1845 Discovered
the First effect
connecting **Magnetism**
and **Light**,



“The Faraday Rotation Effect”.

Faraday Rotation Effect

- The incident Plane of linearly polarized light Rotates by an angle when it passes through the medium.



“Magnetic Birefringence”

Rotation Angle

- The faraday rotation 'θ' is proportional to Magnetic field and the length traversed.

$$\theta = \frac{\pi d}{\lambda} (n_R - n_L) z \quad \text{Where,} \quad (n_R - n_L) \propto B$$

$$\theta = VBz$$

$$V = \frac{4\pi N e^3 \omega^2}{m^2 c^2 (\omega^2 - \omega_0^2)}$$

V = Verdet constant

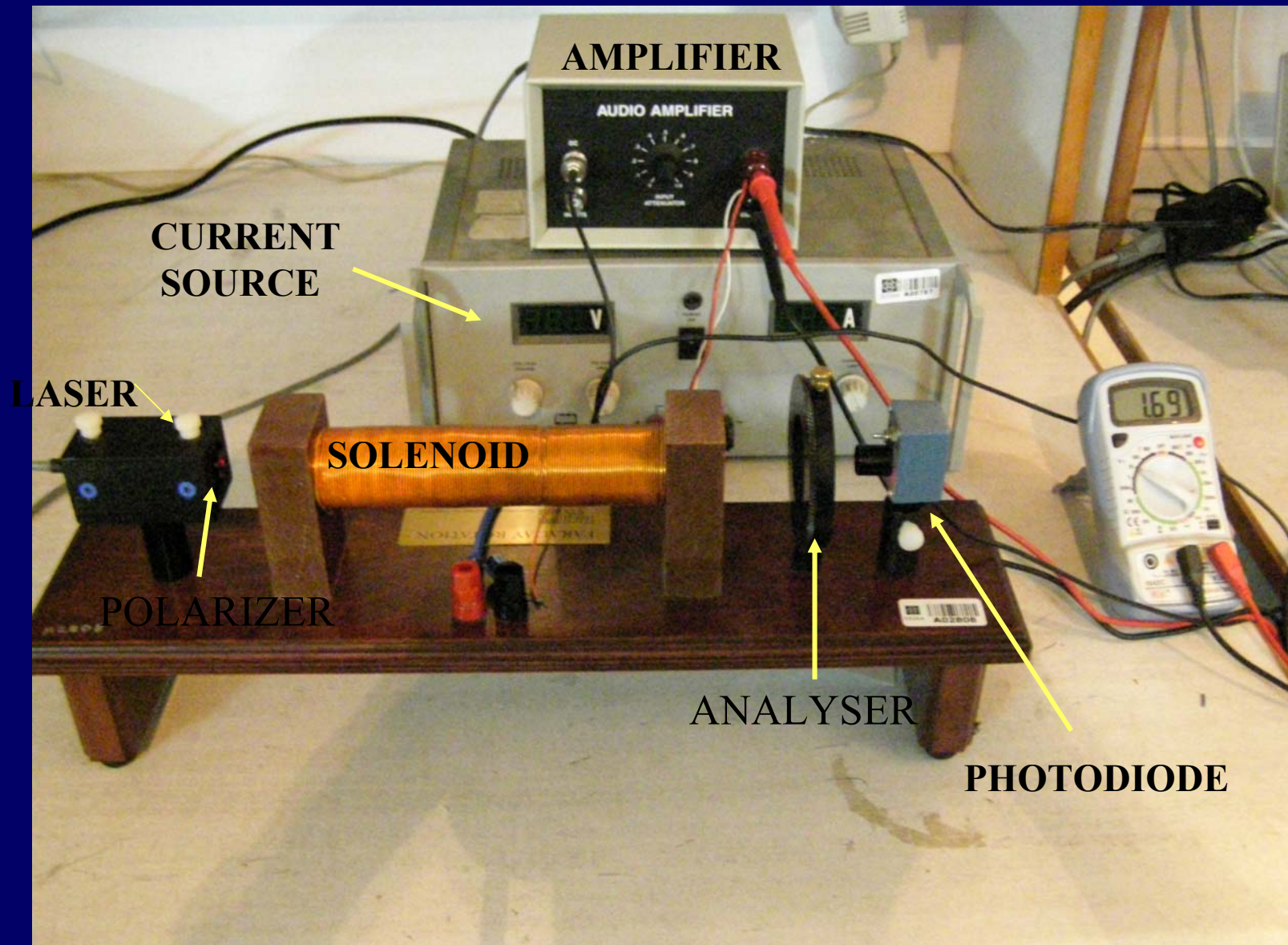
n_R = Refractive Index for
Right Circular light

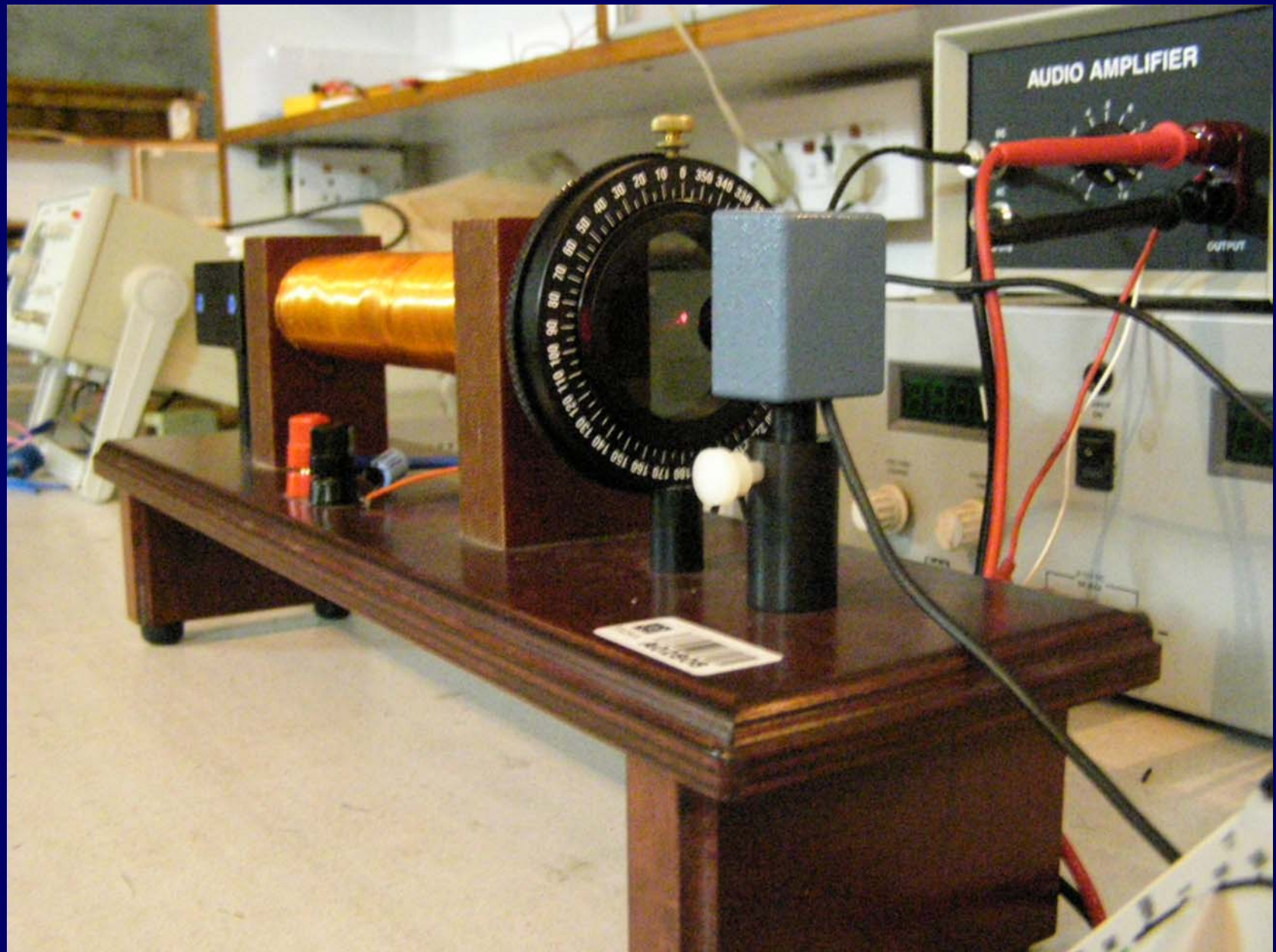
n_L = Refractive Index for
Left Circular light

ω_0 = Resonance frequency

N = Number density of
electrons

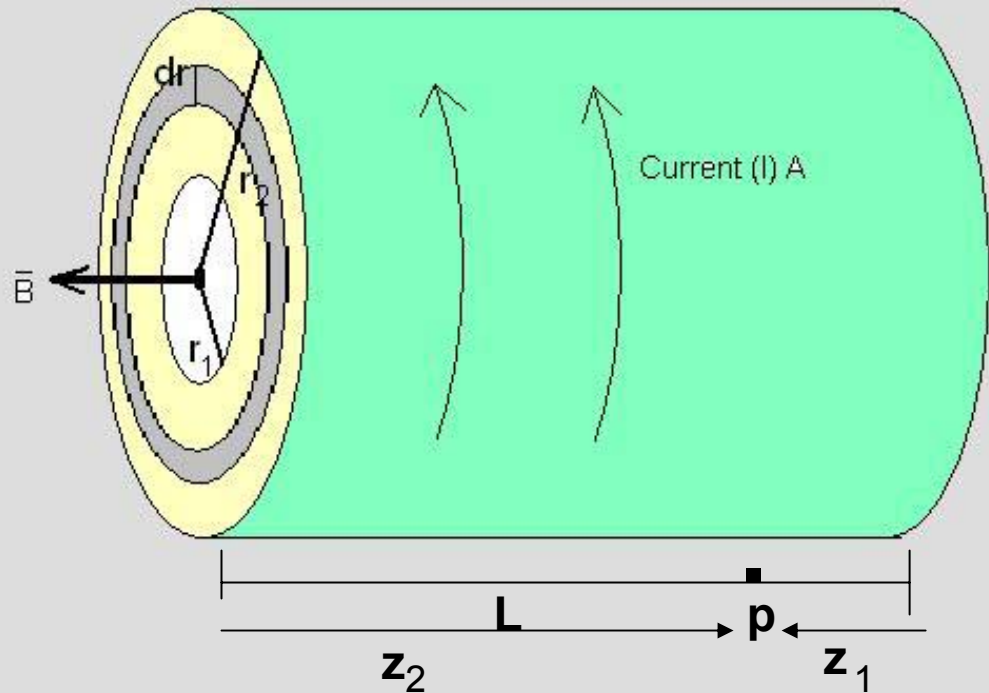
EXPERIMENTAL SETUP





Solenoid

- L: 15 cm
- r_1 : 0.88 cm
- r_2 : 1.87 cm
- 160 turns/layer
- 10 layers



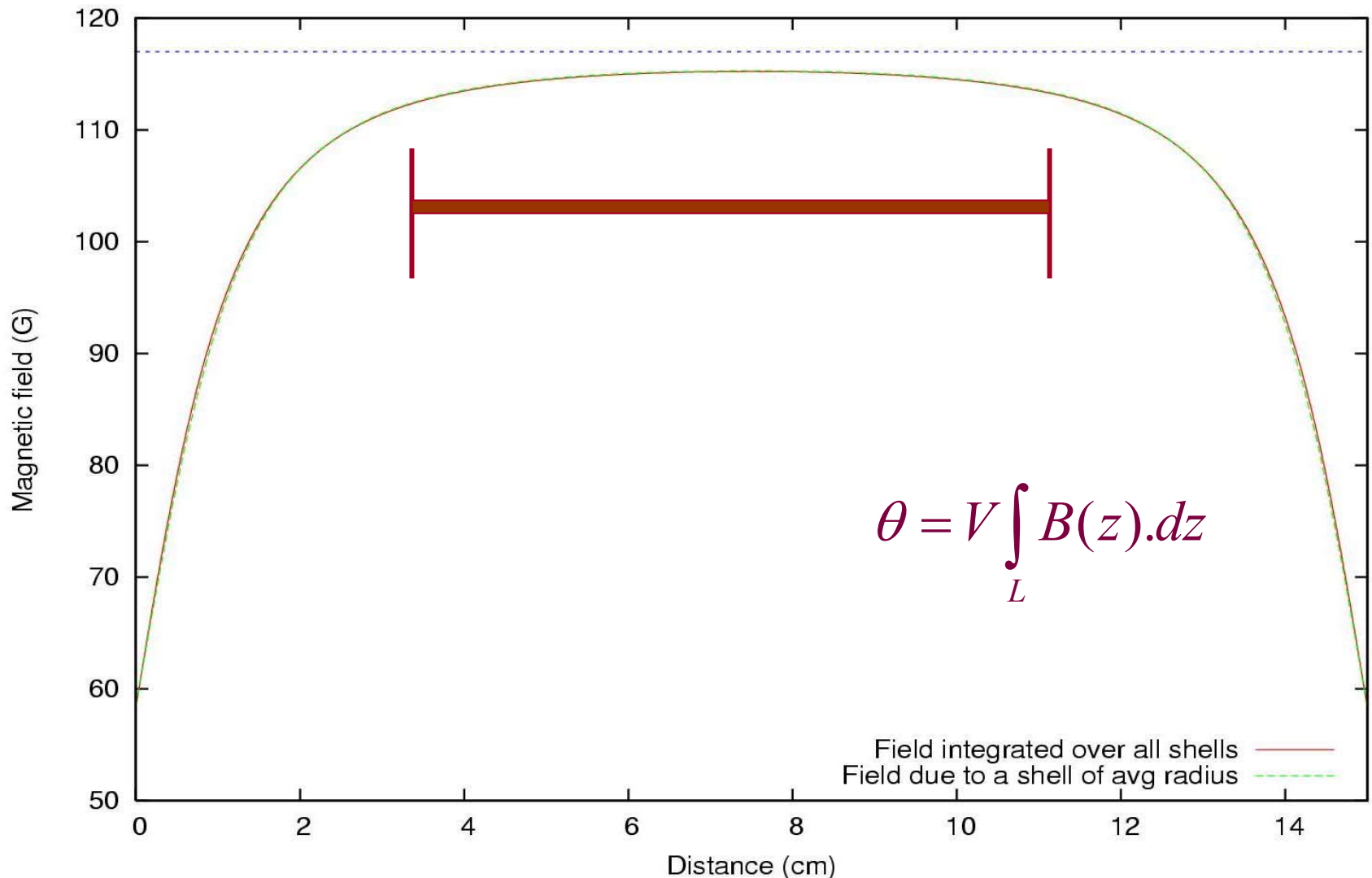
Finite length (shell) :

$$B = \frac{\mu_0 i N}{2L} \left[\frac{z_2}{\sqrt{z_2^2 + r^2}} - \frac{z_1}{\sqrt{z_1^2 + r^2}} \right]$$

Finite Thickness :

$$B = \frac{\mu_0 i N}{2(r_2 - r_1)L} \left[z_2 \ln \frac{\sqrt{z_2^2 + r_2^2} + r_2}{\sqrt{z_2^2 + r_1^2} + r_1} - z_1 \ln \frac{\sqrt{z_1^2 + r_2^2} + r_2}{\sqrt{z_1^2 + r_1^2} + r_1} \right]$$

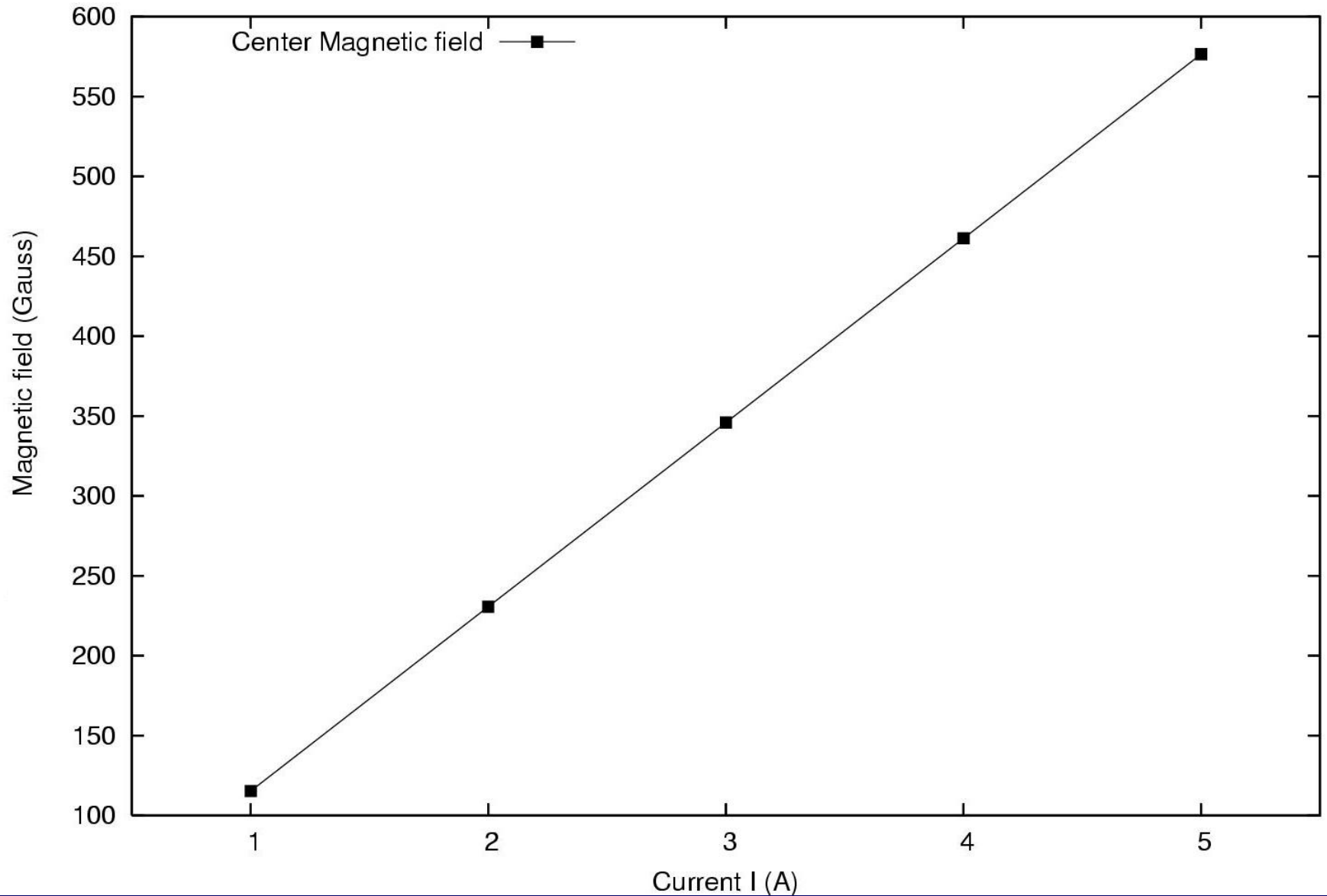
Magnetic field comparison



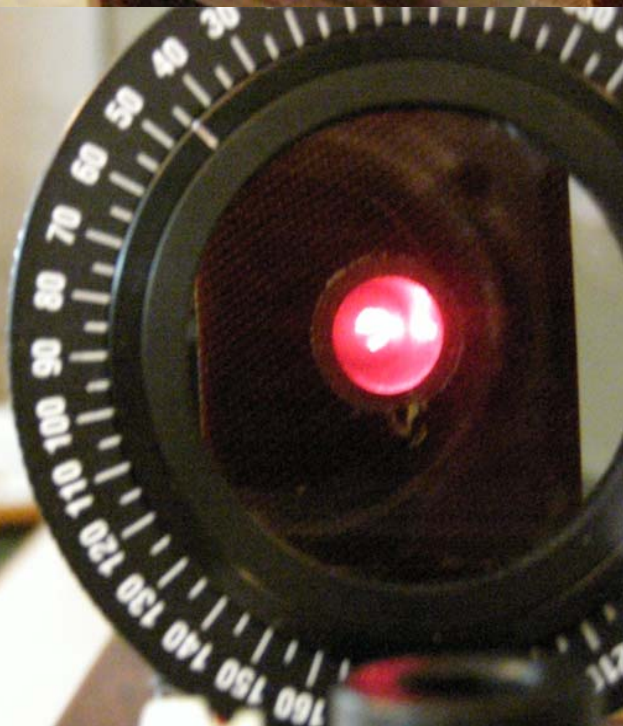
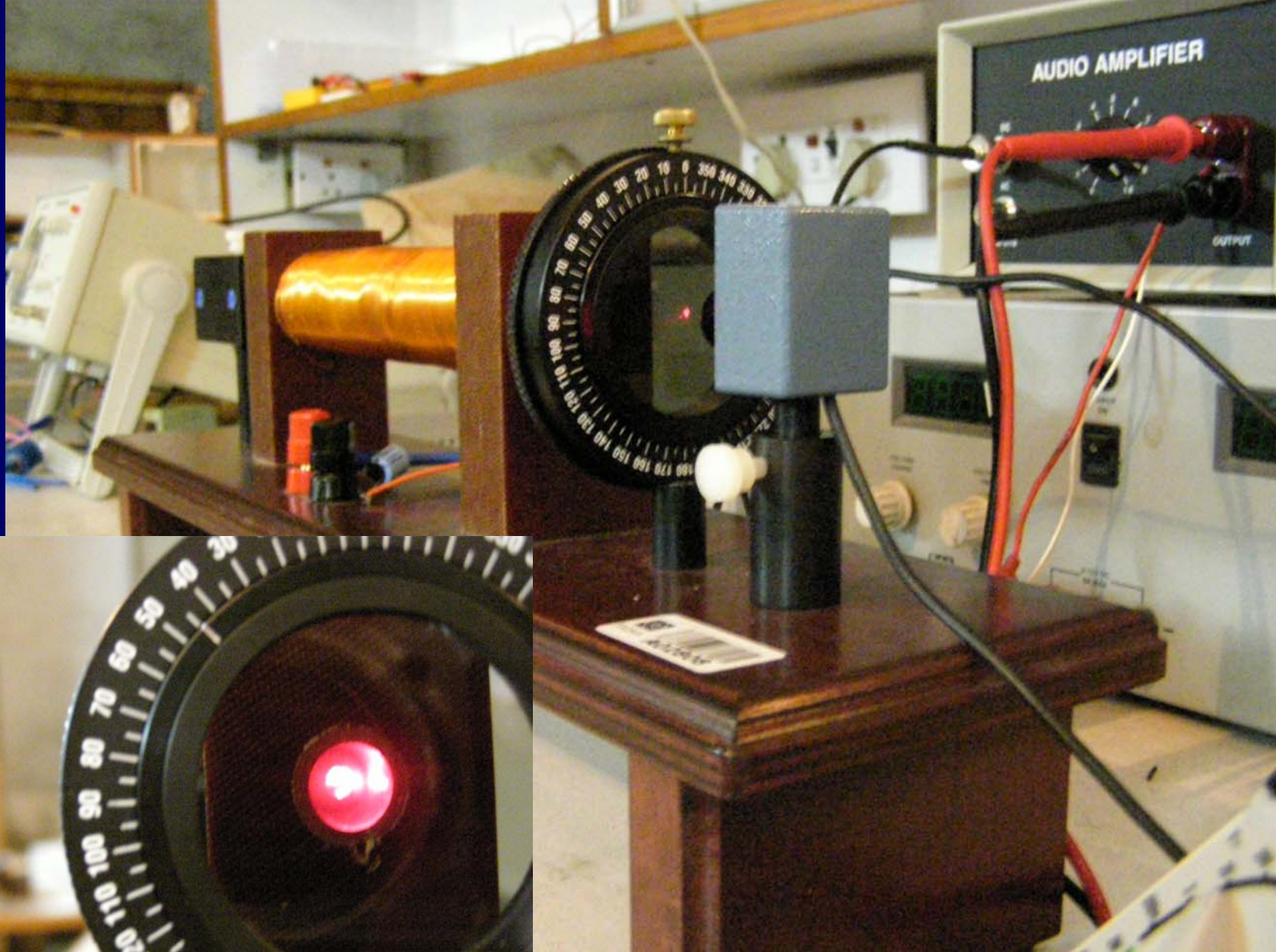
Magnetic Field along the solenoid length.

We consider a shell of average radius $r = 1.38$ cm, with same total current

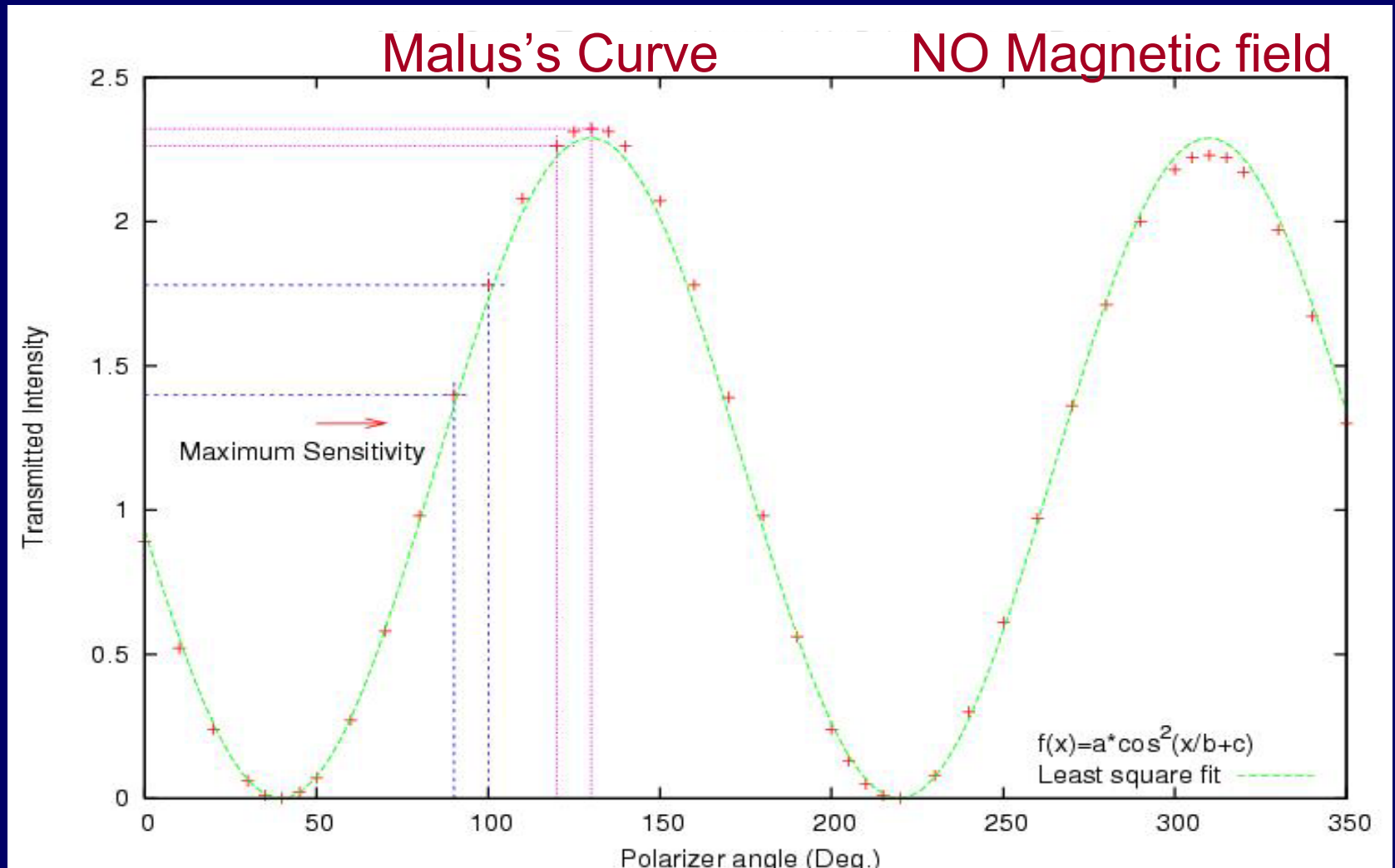
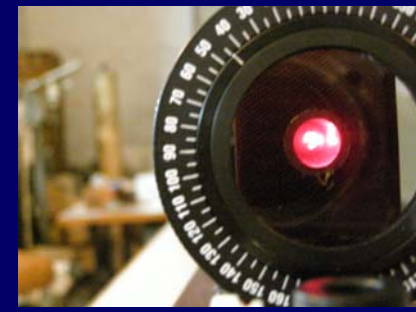
Magnetic field B (Gauss) at center Vs Current I (A)



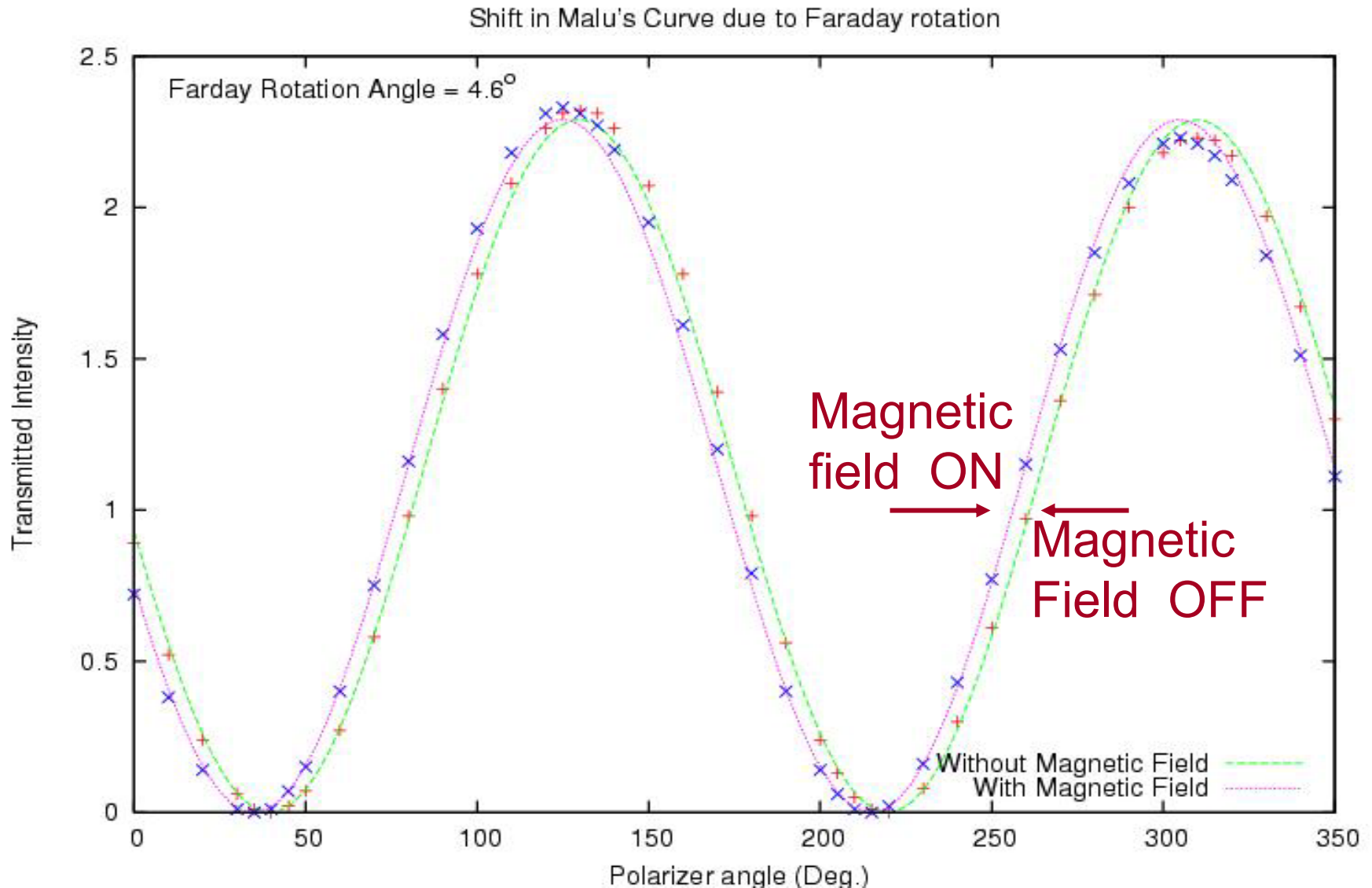
Central Magnetic field as a function of current



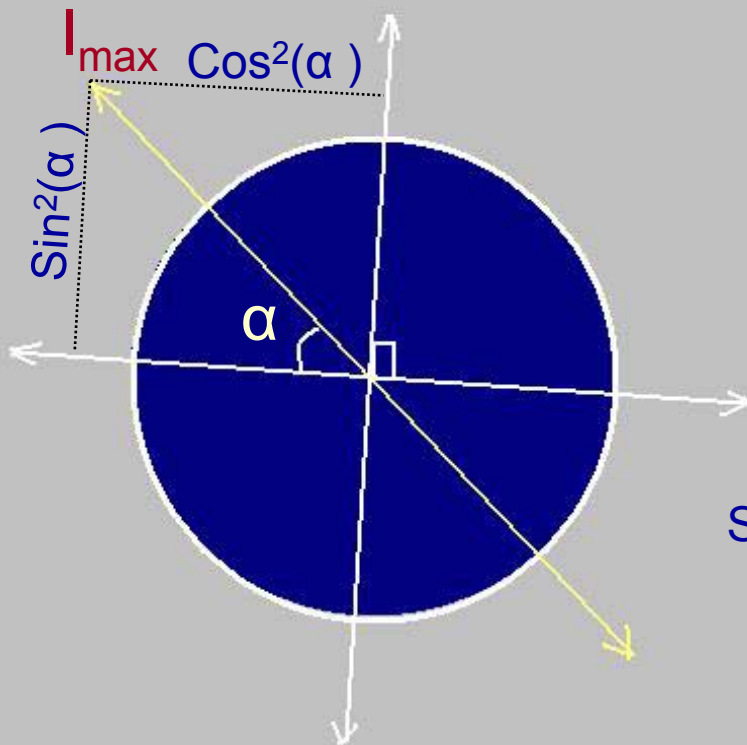
Observation Method



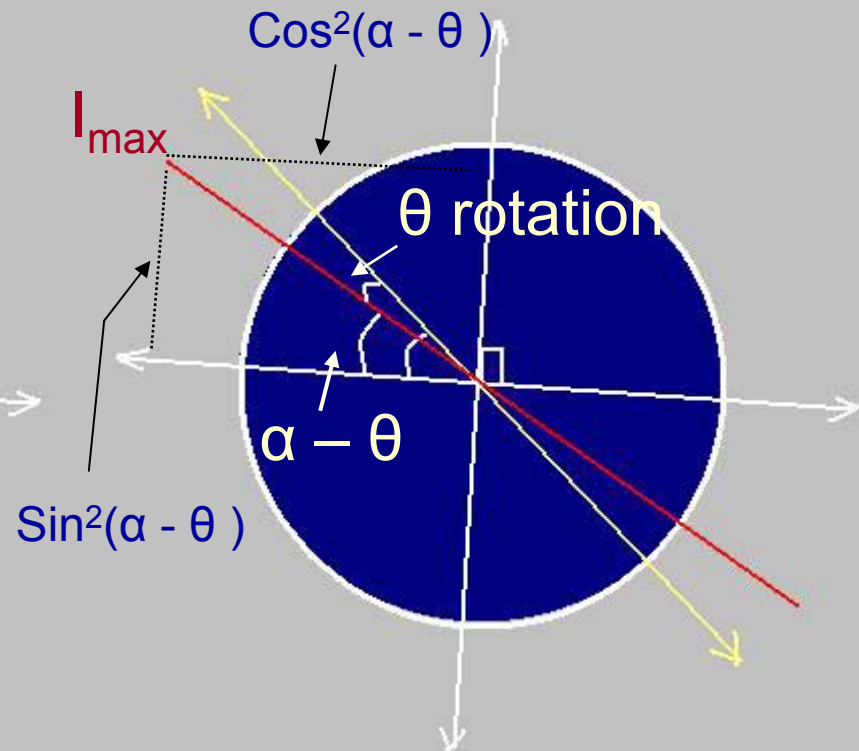
Faraday Rotation



New Observation Method



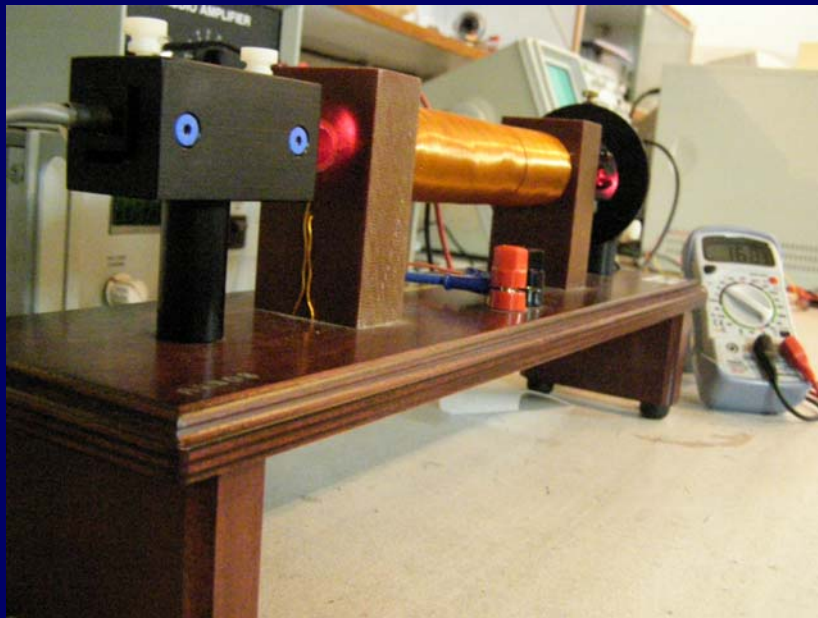
Without Magnetic Field



With Magnetic Field

$$\alpha = \tan^{-1} \left(\sqrt{\frac{y}{x}} \right)$$

$$\theta = \alpha - \tan^{-1} \left(\sqrt{\frac{y_{rot}}{x_{rot}}} \right)$$

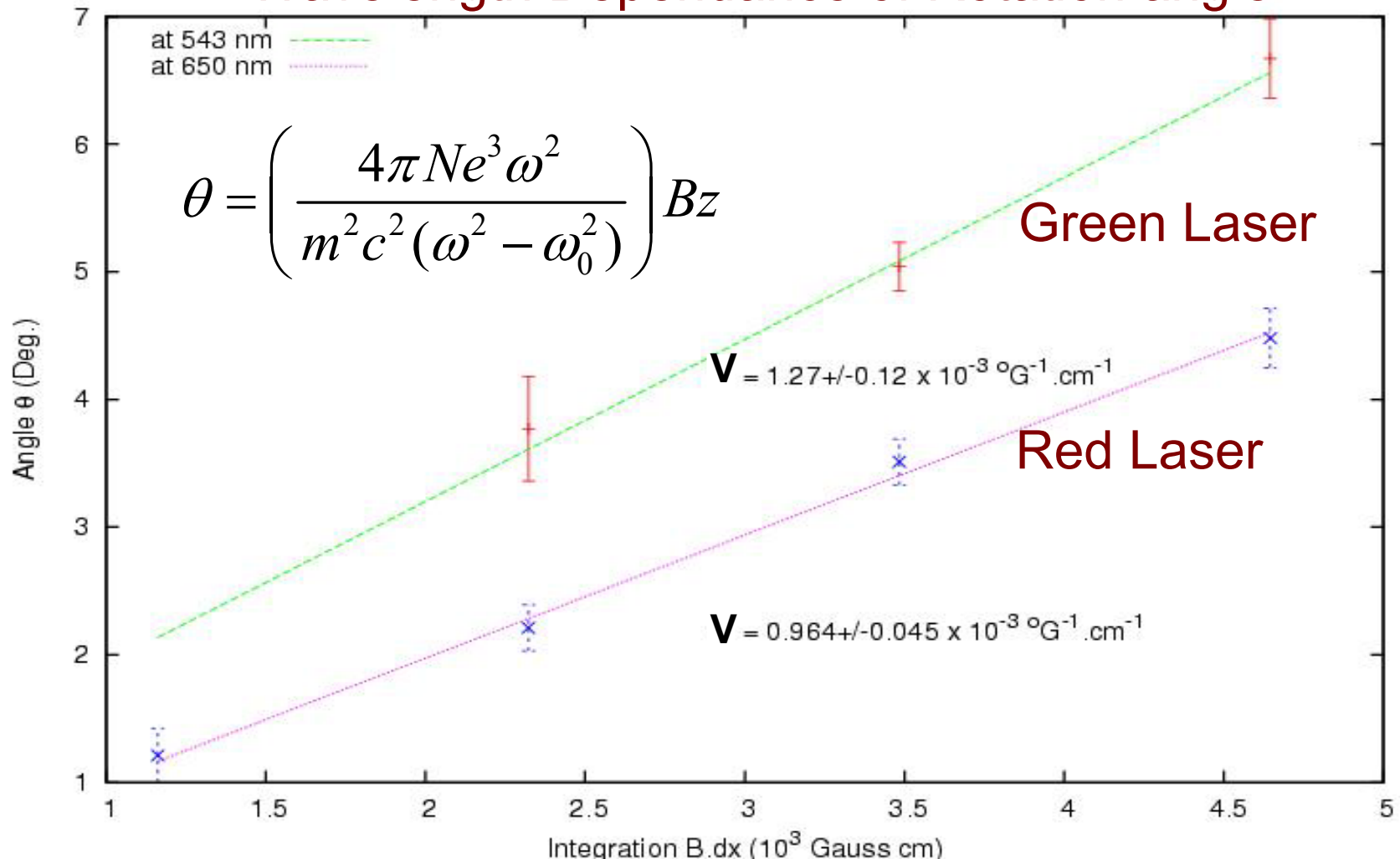


Observations

- We use the New Method to Measure ***“Faraday Rotation Angle”***
- ***WITH –***
 - ***Different Magnet fields***
 - ***Materials:*** Lead silicate glass, Water, Benzene
 - ***Laser sources : Red (650 nm), Green (543 nm)***

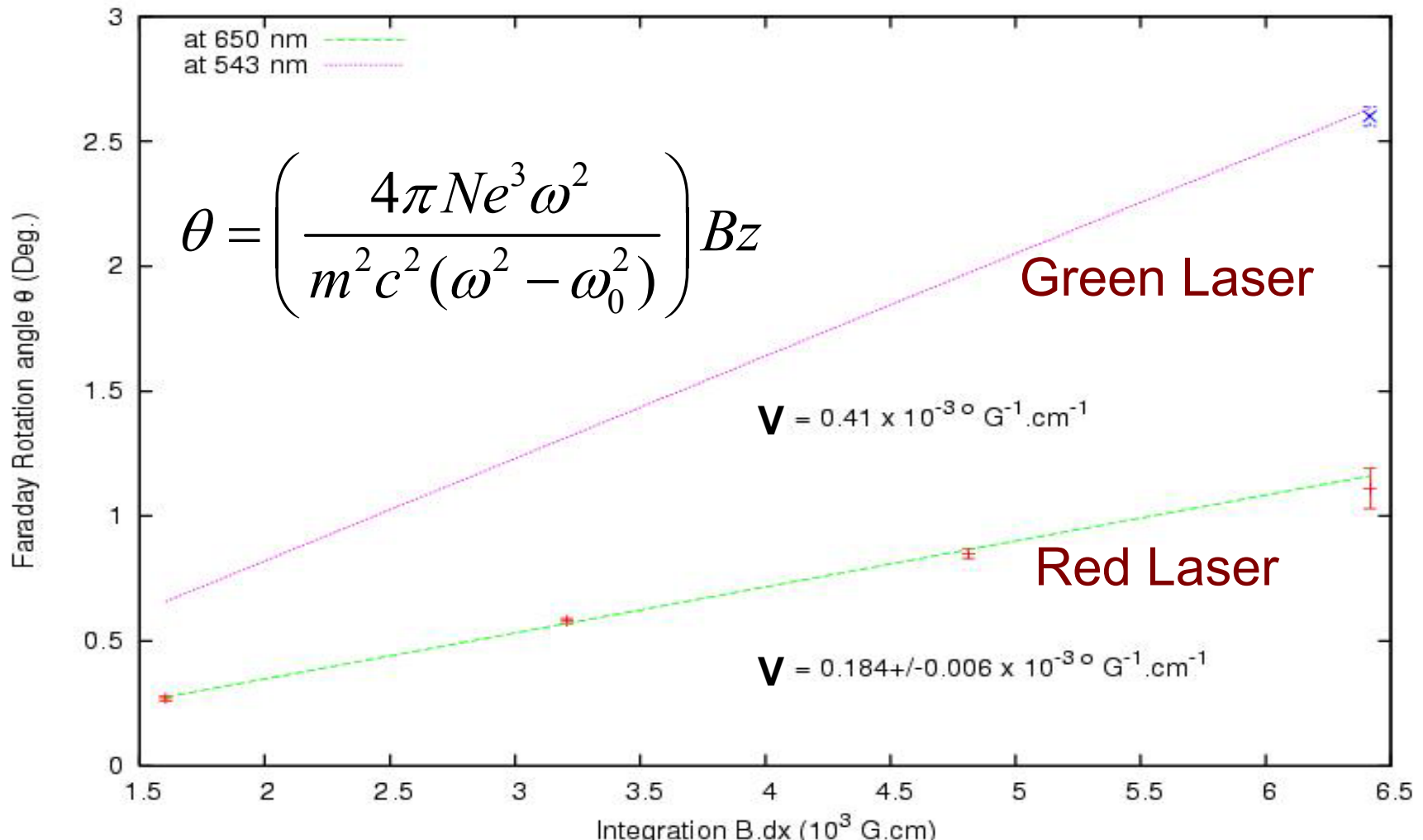
Faraday Rotation Measured for Lead Silicate Glass

Wavelength Dependence of Rotation angle

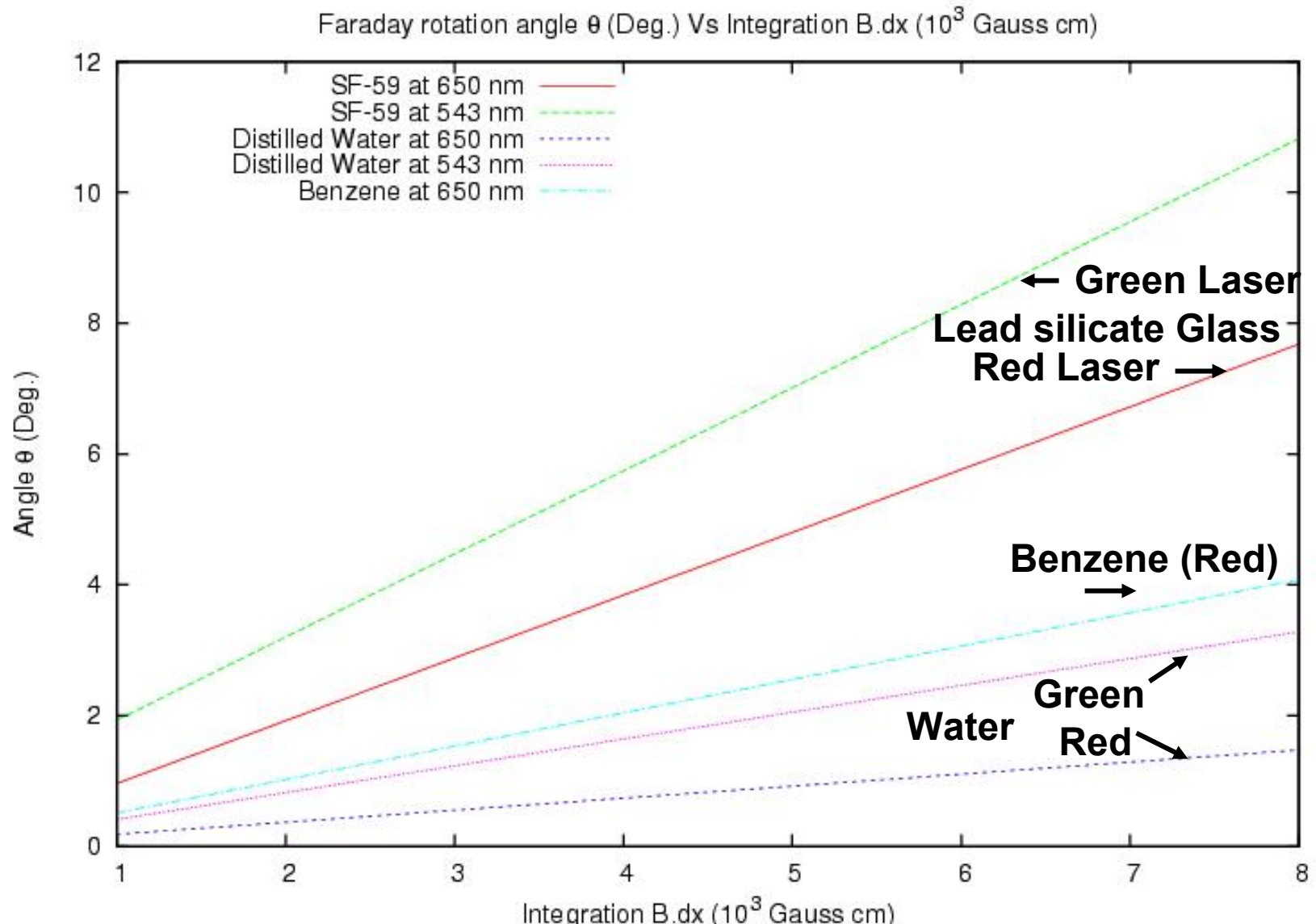


Faraday Rotation Measured for Water

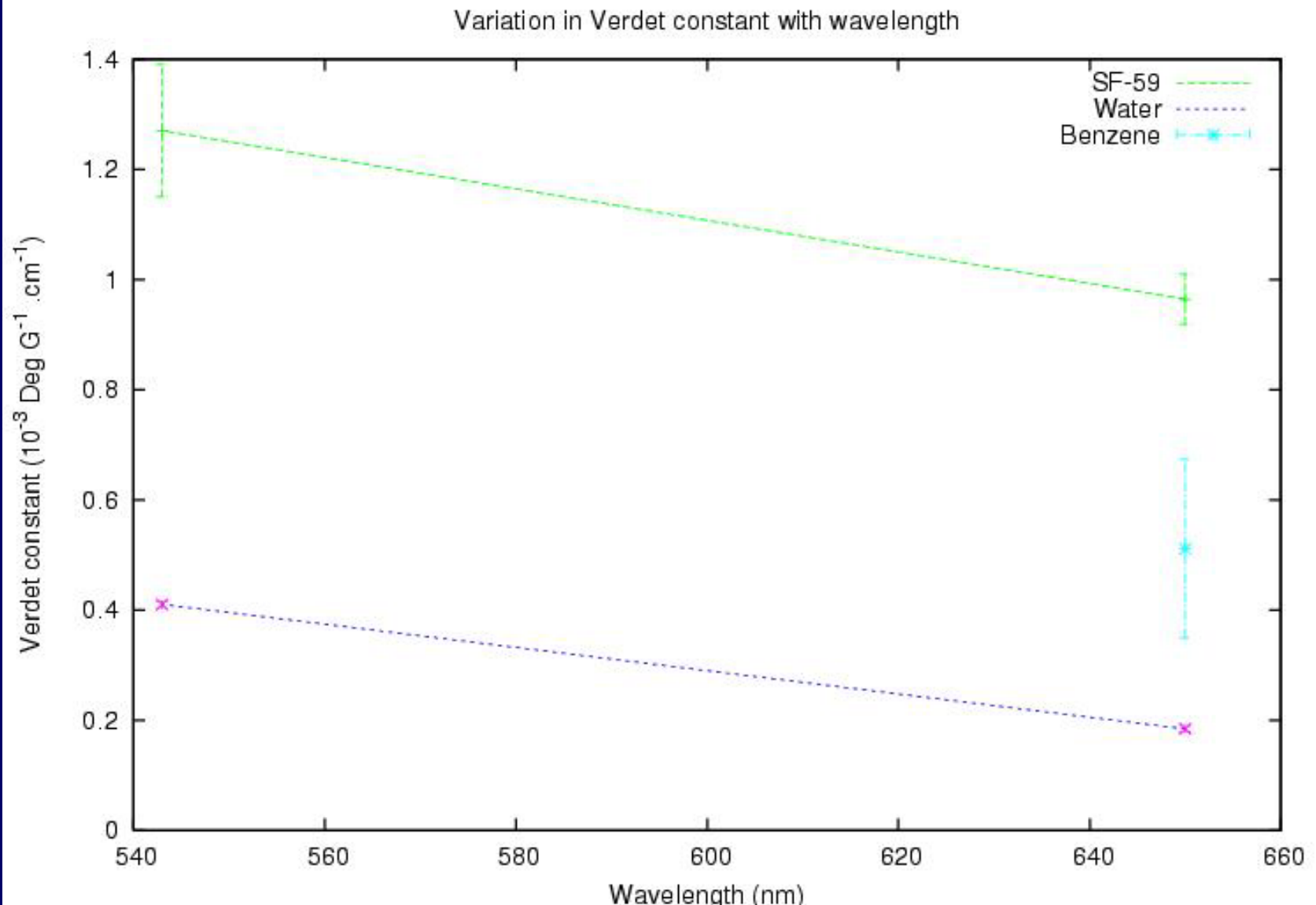
Wavelength Dependence of Rotation angle



Comparing Verdet Constants



Wavelength Dependence of Verdet



Astrophysical Application of Faraday Rotation Effect

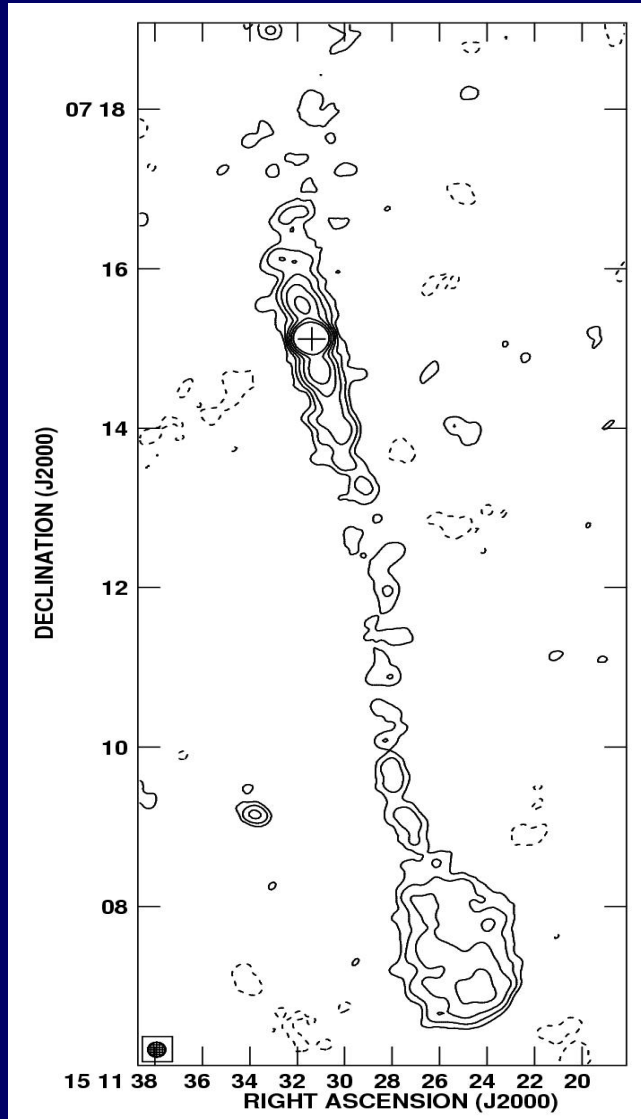
$$\Psi_{obs}(\lambda) = \Psi_{int}(\lambda) + \Delta\Psi$$

$$\Psi_{obs}(\lambda) = \Psi_{int}(\lambda) + \lambda^2 \left(\frac{e^3}{2\pi m_e^2 c^4} \int_0^L n_e(l) B_{\parallel}(l) dl \right)$$

Plotting $Y = C + X * RM$

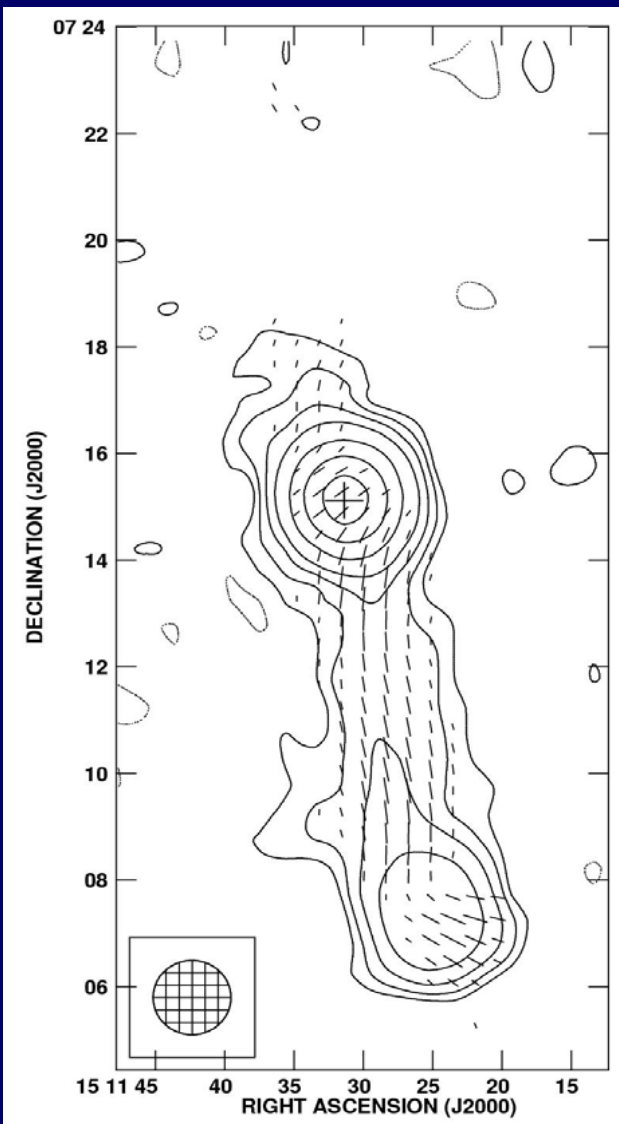
↑
Rotation Measure (RM) (rad/m²)

Radio Jet CGCG049-033



- GMRT
- 1.3GHz
- Resolution: 11 arc sec

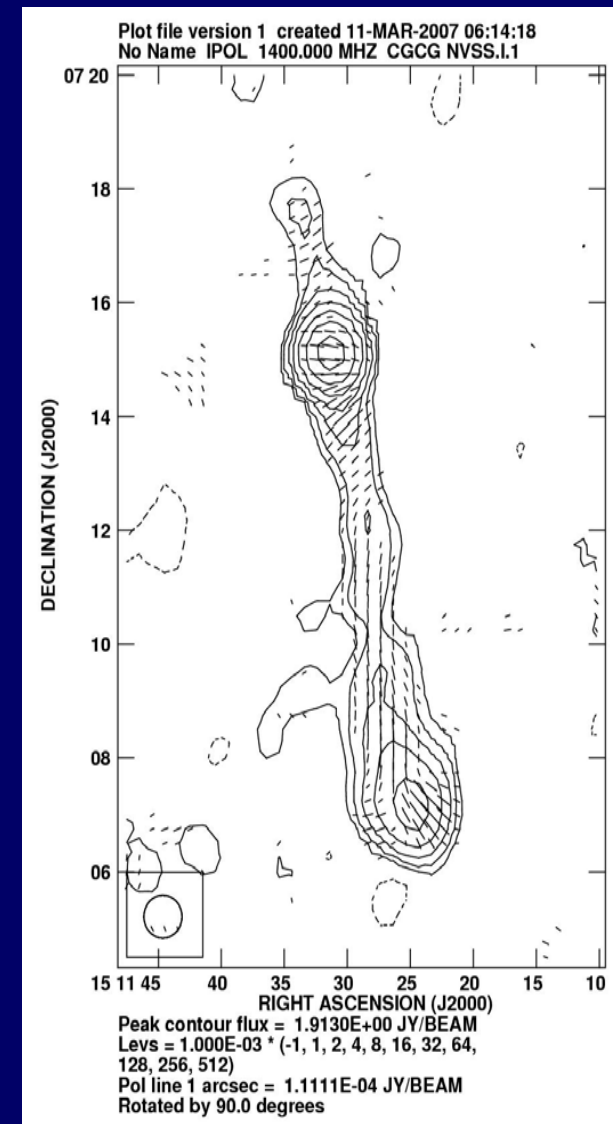
The largest and highly
collimated radio jet
~400kpc large



- VLA
- 1.4GHz
- Resolution = 45 arc sec



- Max Planck 100m
- 8.4GHz
- Resolution = 84 arc sec



Acknowledgement

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Thank you! ☺